Mortgage Refinance Decisions: Discussion Hu et al. and Gerardi et al.

Nicholas Li

CFPB

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Refinancing is good!



Demand:

- ► House already bought
- Good decision driven by terms, not preferences

If refinancing is good \implies not refinancing is a "mistake"

Mistakes matter:

- Rents to creditors vs consumers
- Racial disparities

Basic challenge: How do you measure a "mistake?"

Can only measure refinances, not mistakes

Big mistakes vs. small mistakes vs. non-mistakes?

Three latent components:

- 1. When (are refinances "good")?
- 2. For whom (are refinances "good")?
- 3. How "good" are refinances?

Two interesting papers

Hu et al.: Financial Media as a Money Doctor

- ▶ Measuring mistake: when refinances are good for everyone
- ▶ Toward solutions: financial literacy and consumer education

- Measuring mistake: depends on rate at origination
- ► Larger Implications: racial disparities in financing costs

Hu et al.: Money Doctor

Basic idea:

$$\frac{\partial \textit{Mistake}_i}{\partial \textit{Fin}_-\textit{Ed}_i} \downarrow$$

Heuristic argument:

$$Mistake_i = (1 - Refinance_i) imes Benefit$$
 $rac{\partial Mistake_i}{\partial Fin_Ed_i} = -rac{\partial Refinance_i}{\partial Fin_Ed_i} imes Benefit_i$

Hypotheses and Proxy Variables

- ▶ Benefit_i: refinancing good for more people between 2009–2011
- ► Fin_Ed_i: availability of Fox Business Channel

Empirical Implication:

$$\frac{\partial Refinance_i \times \mathbf{1}[t(i) \in [2009, 2011]]}{\partial FBN_i}$$

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Assumptions

Hu et al.: Money Doctor

Stipulation 1: Refinancing better between 2009–2011

Stipulation 2: FBN entry is financial education, not confounders

Main specification:

$$Y_{it} = \alpha_i + \delta_{c(i)t} + \beta_1 D_{it} + \beta_2 D_{it} \times W_t + \Gamma X_{it} + \varepsilon_{it}$$

- \triangleright D_{it} : indicator for after FBN enters a zip code i
- \triangleright W_t : indicator for being between 2009–2011

Reinterpretation through lens of event study moments

Hu et al.: Money Doctor

Basic Event Study for average effect of FBN entry:

$$Y_{it} = \alpha_i + \delta_{c(i)t} + \sum_{\tau \neq -1} b_{\tau} D_{it}^{\tau(s(i),t)} + \Gamma \mathbf{X}_{it} + \varepsilon_{it}$$

▶ $D_{it}^{\tau(s(i),t)}$: dummies for event time τ by entry cohorts s(i)

Usual over-identifying restrictions:

Parallel trends $b_{\tau} = 0 \quad \forall \tau < -1$

Is FBN Financial Education?

Hu et al.: Money Doctor

Event Study w/ Heterogenous Effects:

$$Y_{it} = \alpha_i + \delta_{c(i)t} + \sum_{\tau \neq -1} b_{\tau}^{s} D_{it}^{\tau(s(i),t)} + \Gamma \mathbf{X}_{it} + \varepsilon_{it}$$

Main Test

- Perfect storm of two "whens"
- Roughly equivalent to test in current paper: $b_{\tau}^{s} > 0 \quad \forall s, \tau : \tau \geq 0, s + \tau \in [2009, 2011]$

Q: Do FBN effects go away when rates go up? Should they?

- Effect of late FBN entry? $b_s^s = 0 \quad \forall s > 2011$
- Longer term effects of early FBN entry?: $b_{\tau}^{s} = 0 \quad \forall s, \tau : \tau \geq 0, s + \tau > 2011$
- ▶ Rather than just 2009–2011, relate cohort-effects to rates directly

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Does FBN improve consumer education or just increase refinances?

Why are CNBC and Bloomberg not consumer education?

- ▶ If about viewership, estimate entry models w/ viewers as Y_{it} ?
- If it's about content, can you qualify that?
 - ▶ In appendix, not clear why FBN content "better" than CNBC

Refinancing is good for whom?

- Use auxiliary data to assess stock of mortgages (by zip code) that would benefit from refinancing?
- Where is a refinance boom waiting to happen?

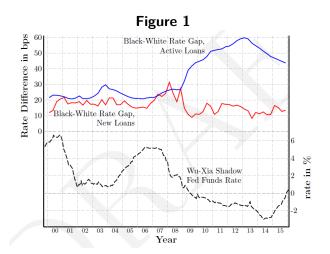
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(Backward) Summary



<u>When</u> do mortgages come from?: Decomposing <u>changes</u> in stocks Gerardi et al.: <u>Mortgage Prepayment</u>, <u>Race</u>, and <u>Monetary Policy</u>

There are three types of transitions...:

- 1. No mortgage-Mortgage: inflows
- 2. Mortgage-No mortgage: outflows
- 3. Mortgage-Mortgage

$$\Delta \boldsymbol{E}\left[M_{it}r_{it}|\min\left[M_{i0},M_{i1}\right]=1\right]=$$

$$E[r_{i1}|M_{i0} = 0, M_{i1} = 1] \underbrace{\Pr[M_{i0} = 0, M_{i1} = 1]}_{\text{inflow share}}$$
(1)

$$- \mathbf{E}[r_{i0}|M_{i0} = 1, M_{i1} = 0] \underbrace{\Pr[M_{i0} = 1, M_{i1} = 0]}_{(2)}$$

outflow share

$$+ \boldsymbol{E} [\Delta r_i | M_{i0} = M_{i1} = 1] \Pr [M_{i0} = M_{i1} = 1]$$
 (3)

When do mortgages come from?: Decomposing changes in stocks

Gerardi et al.: Mortgage Prepayment, Race, and Monetary Policy

There are three five types of transitions...:

- 3 Mortgage-Mortgage
 - 3a Same mortgage: same rate
 - 3b Refinance: new rate
 - 3c Moving to new house/mortgage: new rate

$$\boldsymbol{E}\left[\Delta r_{i}\right]=$$

$$\boldsymbol{E}\left[\Delta r_i \times refi\right] \tag{3b}$$

$$+ \boldsymbol{E} \left[\Delta r_i \times new_house \right]$$
 (3c)

Gerardi et al.: Mortgage Prepayment, Race, and Monetary Policy

Mobility vs. Mistakes:

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- Measurement

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Two bullet summary

- 1. Unique data! (can measure when refinances come from!)
 - (equivalently, which prepayments are refinances, not moves)
- 2. Models adjust gap in refinance hazards $\mathsf{w}/$ covariates

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"Mistakes" and the racial gap:
E [\Delta r_i \times refi|black] - E [\Delta r_i \times refi|white] =
(E [\Delta r_i|black, refi] - E [\Delta r_i|white, refi]) \Pr[refi|black]
+ E [\Delta r_i|white, refi] (\Pr[refi|black] - \Pr[refi|white])
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Comments

Gerardi et al.: Mortgage Prepayment, Race, and Monetary Policy

1. Scale (of the mistake) matters

... +
$$\boldsymbol{E}[\Delta r_i|white, refi](\Pr[refi|black] - \Pr[refi|white])$$

2. Overall gap is the sum of many changes

$$\boldsymbol{E}\left[M_{it}r_{it}\right] = \boldsymbol{E}\left[M_{i0}r_{i0}\right] + \sum_{\tau=1}^{t} \Delta \boldsymbol{E}\left[M_{i\tau}r_{i\tau}\right]$$

- Racial gap in cumulative hazard vs. instant hazard
- ▶ Paper estimates partial effect on instant hazard (LPM)
 - ► An average over periods when refinancing is more/less good
- Integrated hazard
 - Can multiply instantaneous hazards w/ e.g. logit (Efron 1988)

To do this, you actually need $\Pr[Refi|X] \in [0,1]$:(



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Refinancing: Research and Policy

Consumer comprehension vs. application

Hu et al.: Financial Media as a Money Doctor

- ▶ Lessons from Bureau's TRID assessment
 - Consumer effects vs. market effects
 - Understanding is necessary, but not sufficient
- Modes of education: e.g. disclosures vs. TV

- ▶ Better understanding ⇒ better decisions
 - Decisions are contextual
 - Consumer education on navigating institutional barriers?
- Policy complimentarities
 - Understanding as an end in itself
 - ▶ But we may need to raise the bar

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